

11th Class ICS Mathematics Test Online

Sr	Questions	Answers Choice
1	Question Image <input type="text"/>	A. linear equation B. Quadratic equation C. cubic equation D. radical equation
2	If the sum of the roots of $ax^2 - (a + 1)x + (2a + 1) = 0$ is 2, then the product of the roots is:	A. 1 B. 2 C. 3 D. 4
3	If the roots of $x^2 - bx + c = 0$ are two consecutive integers, then: $b^2 - 4ac =$	A. 0 B. 1 C. -1 D. 2
4	For what value of k, the sum of the roots of the equation $x^2 + kx + 4 = 0$ is equal to the product of its roots:	A. ± 1 B. 4 C. ± 4 D. -4
5	If the sum of the roots of the equation $kx^2 - 2x + 2k = 0$ is equal to their product, then the value of k is:	A. 1 B. 2 C. 3 D. 4
6	The ratio of the sum and product of roots of $7x^2 - 12x + 18 = 0$ is:	A. 7:12 B. 2:3 C. 3:2 D. 7:18
7	Synthetic division is a process of:	A. division B. subtraction C. addition D. multiplication
8	If a polynomial $P(x) = x^2 + 4x - 2x + 5$ is divided by $x - 1$, then the remainder is:	A. 8 B. -2 C. 4 D. 5
9	Sum of all four fourth roots of unity is:	A. 1 B. 0 C. -1 D. 3
10	Sum of all three cube roots of unity is:	A. 1 B. -1 C. 0 D. 3
11	How many complex cube roots of unity are there:	A. 2 B. 0 C. 1 D. 3
12	Complex roots of real quadratic equation always occur in:	A. conjugate pair B. ordered pair C. reciprocal pair D. none of these
13	The roots of the equation:	A. complex B. irrational C. rational D. none of these
14	If α, β are the roots of $x^2 + kx + 12 = 0$ such that $\alpha - \beta = 1$ then $K =$:	A. 0 B. ± 5 C. ± 7 D. ± 15
15	If α, β are complex cube roots of unity, then $1 + \alpha^n + \beta^n = \dots$ where n is a positive integer divisible by 3:	A. 1 B. 3 C. 2 D. 4

16	$3^{2x} - 3^x - 6 = 0$ is:	A. reciprocal equation B. exponential equation C. radical equation D. none of these
17	Question Image <input type="text"/>	A. quadratic equation B. reciprocal equation C. exponential equation D. none of these
18	One of the roots of the equation $3x^2 + 2x + k = 0$ is the reciprocal of the other, then $k =$	A. 3 B. 2 C. 1 D. 4
19	If $P(x)$ is a polynomial of degree m and $Q(x)$ is a polynomial of degree n , the quotient $P(x) \div Q(x)$ will produce a polynomial of degree:	A. $m \cdot n$, plus a quotient B. $m - n$, plus a remainder C. $m \div n$, plus a factor D. $m + n$, plus a remainder
20	If $P(x)$ is a polynomial of degree m and $Q(x)$ is a polynomial of degree n , the product $P(x) \cdot Q(x)$ will be a polynomial of degree:	A. $m \cdot n$ B. $m - n$ C. $m + n$ D. $m \times n$