

ECAT Pre General Science Mathematics Chapter 23 Conic Section Online Test

Sr	Questions	Answers Choice
1	If a cone is cut by a plane perpendicular to the axis of the cone, then the section is a	A. parabola B. circle C. hyperbola D. ellipse
2	Conic sections or simply conics are the curves obtained by cutting a right circular cone by	A. a line B. two lines C. a plane D. two planes
3	The second degree equation of the form $Ax^2 + By^2 + Gx + Fy + C = 0$ represent hyperbola if	A. $A = B \neq 0$ B. $A \neq B$ and both are of same sign C. $A \neq B$ both are of opposite sign D. Either $A = 0$ or $B = 0$
4	If the distance of any point on the curve from any of the two lines approaches zero then it is called	A. Axis B. Directrices C. Asymptotes D. None
5	The ellipse and hyperbola are called	A. Concentric conics B. Central conics C. Both a b D. None
6	The directrix of $y^2 = -4ax$ is	A. $y = -a$ B. $y = a$ C. $x = a$ D. $x = -a$
7	A line joining two distinct points on a parabola is called	A. Axis B. Directrix C. Chord D. Tangent
8	For the parabola the line through focus and perpendicular to the directrix is called	A. Tangent B. Vertex C. Axis D. None
9	The eccentricity e of an ellipse is always	A. Rational B. Real C. Irrational D. Integer
10	The line $y = 4x + c$ touches the hyperbola $x^2 - y^2 = 1$ if and only if	A. $c = \pm\sqrt{2}$ B. $c = 0$ C. $c = \pm\sqrt{17}$ D. $c = \pm\sqrt{15}$
11	If e, e' be the eccentricities of two conics $S=0$ and $S'=0$ and if $e^2 + e'^2 = 3$ then both S and S' can be	A. Hyperbola B. Parabolas C. Ellipses D. None of these
12	The line $2x + \sqrt{6}y = 2$ is a tangent to the curve $x^2 - 2y^2 = 4$ The point of contact is	A. $(\sqrt{6}, 1)$ B. $(2, 3)$ C. $(7, -2\sqrt{6})$ D. $(4, -\sqrt{6})$
13	If eccentricity of ellipse becomes zero then it takes the form of	A. A parabola B. A circle C. A straight line D. None of these
14	The sum of the focal distance from any point on the ellipse $9x^2 + 16y^2 = 144$ is	A. 32 B. 16 C. 18 D. 8
15	The centre of the conic $x^2 + 16x + 4y^2 - 16y + 76 = 0$ is	A. $(0, 10)$ B. $(-8, 4)$ C. $(-8, -2)$ D. $(1, 1)$

16	Intersection of two parabolas	A. parabola B. Two points C. Four points D. Hyperbola
17	If either $A = 0$ or $B = 0$, then $Ax^2 + By^2 + 2Gx + 2Fy + c = 0$ represents a	A. Circle B. Hyperbola C. Ellipse D. Parabola
18	$ax^2 + 2hxy + by^2 + 2gx + 2fy + c = 0$ may represent an ellipse if	A. $h^2 - ab < 0$ B. $h^2 - ab \neq 0$ C. $h^2 - ab = 0$ D. $h^2 - ab > 0$
19	The remove the term involving xy , from $7x^2 - 6\sqrt{3}xy + 13y^2 - 16 = 0$ the angel of rotation is	A. $\theta = 30^\circ$ B. $\theta = 45^\circ$ C. $\theta = 60^\circ$ D. $\theta = 75^\circ$
20	The second degree equation $2x^2 - xy + 5x - 2y + 2 = 0$ represents	A. Circle B. Hyperbola C. Ellipse D. Pair of straight lines
21	If the line $2x - y + k = 0$ is a diameter of the circle $x^2 + y^2 + 6x - 6y + 5 = 0$ then k is equal to	A. 12 B. 9 C. 6 D. 3
22	The area of the circle centred at $(1, 2)$ and passing through $(4, 6)$ is	A. 30π sq.units B. 5π sq.units C. 15π sq.units D. 25π sq.units
23	The number of tangents to the circle $x^2 + y^2 - 8x - 6y + 9 = 0$ which pass through the point $(3, -2)$ is	A. 2 B. 1 C. 0 D. None of these
24	The slope of the tangent at the point (h, h) of the circle $x^2 + y^2 = a^2$ is	A. 0 B. 1 C. -1 D. h
25	The equation $x^2 + y^2 - 8x + 6y + 25 = 0$ represents	A. A circle B. A pair of straight lines C. A point D. None of these
26	Two circle $s_1: x^2 + y^2 + 2x - 2y - 7 = 0$; $s_2: x^2 + y^2 - 6x + 4y + 9 = 0$	A. Touch externally B. Touch internally C. Intersects each other D. Do not intersects
27	The tangent to the parabola $y^2 = 4ax$ and perpendicular line from the focus on it meet	A. $x = 0$ B. $y = 0$ C. $x = -9$ D. $y = -a$
28	If $2x + y + \lambda = 0$ is normal to parabola $y^2 = -8x$, $\lambda =$ _____	A. 12 B. 8 C. 24 D. -24
29	The line $y = mx + 1$ is tangent to the parabola $y^2 = 4x$ if	A. $m = 1$ B. $m = 2$ C. $m = 3$ D. $m = 4$
30	If $(2, 0)$ is the vertex and y -axis is directrix of parabola then focus is	A. $(2, 0)$ B. $(-2, 0)$ C. $(4, 0)$ D. $(-4, 0)$