

Mathematics ECAT Pre Engineering Chapter 21 Linear Inequalities and Linear Programming Online Test

| Sr | Questions | Answers Choice |
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| 1 | If 4 - x >5, then | A. x > 1 B. x > -1 C. x < 1 D. x < -1 |
| 2 | A divides the plane into left and right half planes. | A. Vertical line B. Horizontal line C. Non vertical line D. Inequality |
| 3 | A point of a solution region where two of its boundary lines intersect, is called | A. Boundary B. Inequality C. Half plane D. Vertex |
| 4 | Which is in the solution set of $4x - 3y < 2$ | A. (3, 0) B. (4, 1) C. (1, 3) D. None |
| 5 | Question Image | A. p < r B. p > rr C. p + r < 0 D. p - r < 0 |
| 6 | Maximum value of z =15x +20y subject to 3x+ 4y≤ 12,x,y≥ 0 is given by | A. 46 B. 60 C. 50 D. 70 |
| 7 | x = is in the solution of $2x + 3 < 0$ | A. 0 B. 2 C1 D2 |
| 8 | Corner point of the system x - y $\leq 2, x + y \leq 4, 2x - y \leq 6, x \geq 0, y \geq 0$ | A. (1,4) B. (4,2) C. (3,1) D. (4,1) |
| 9 | A function which is to be maximized or minimized is called an | A. Explicit function B. Implicit function C. Objective function D. None |
| 10 | Which is not a half plane | A. ax + by < c B. ax + by > c C. Both A and B D. None |
| 11 | x = 1 is in the solution of the inequality | A. x + 1 > 0 B. x - 2 > 0 C. 3x - 1 ⁢ 0 D. x + 2 < 0 |
| 12 | If $x < y$, $2x = A$, and $2y = B$, then | A. A = B B. A < B C. A < x D. B < y |
| 13 | The point is in the solution of the inequality $2x + 3y < 5$ | A. (1,1) B. (2,2) C. (0,1) D. (0,2) |
| 14 | Which of the following ordered pair is a solution of the inequality x+2y<6? | A. (2,3) B. (2,2) C. (6,0) D. (1,1) |
| 15 | The set of ordered pairs (x,y) such that $ax+by < c$, and (x,y) such that $ax + by>0$, are called | A. Half planes B. Boundary C. Linear Inequalities |

| | | D. Feasible regions |
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| 16 | x = is in the solution of $2x - 5 > 0$ | A. 0 B. 2 C2 D. 3 |
| 17 | The graph of y> 0 is the upper - half of: | A. y-axis B. x-axis C. 1st and 4th quandrant D. 2nd and 3rd quadrant |
| 18 | If $ab > 0$ and $a < 0$, which of the following is negative? | A. b Bb Ca D. (a - b) ² |
| 19 | Optimal solution is found by evaluation the objective function at | A. All point of feasible region B. Corner point C. Origin D. None |
| 20 | Which of the following is not a solution of system of inequalities $2x$ - $3y \le 6, 2x + y \ge 2, x + 2y \le 8, x \ge 0, y \ge 0$ | A. (1,0) B. (0,4) C. (3,0) D. (8,0) |
| 21 | Inequalities have symbol | A. 2 B. 3 C. 4 D. 1 |
| 22 | (1,0) is in the solution of the inequality | A. 3x + 2y > 8 B. 2x - 3y < 4 C. 2x + 3y > 3 D. x - 2y < -5 |
| 23 | $3x + 4 \le 0$ is | A. not inequality B. equation C. identity D. inequality |
| 24 | The graph of y < 2 is the | A. Left half plane B. upper half plane C. Right half plane D. Lower half plane |
| 25 | The graph of the linear equation of the form ax =by = c is a line which divided the plane into: | A. Two similar regions B. Two disjoint regions C. Four equal parts D. One region |
| 26 | ab > 0 and a > 0 then | A. a > b B. a < b C. a = b D. None |
| 27 | 2x + 3y > 4 is a linear inequality in | A. one variable B. two variables C. three variables D. none of these |
| 28 | s > t then | A. (s - t) ² > (t - s) ² B. (s - t) ² < (t - s) ² C. (s - t) ² = (t - s) ² D. None |
| | | A. r + 2 > 4 B. r + 2 < 4 |
| 29 | r + 3 >5 then which is true | C. r + 2 = 4 D. None |
| 30 | Optimize means a quantity under certain constraints | A. Minimize B. Maximize C. Maximize or minimize D. None of these |
| 31 | ax + by < c is linear inequality in | A. four variables B. three variables C. two variables D. one variable |
| 32 | 3x + 4 = 0 is | A. not inequality B. equation C. identity D. inequality |

D. ⊢easible regions

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| 33 | $3x + 4 \ge 0$ is | A. equation B. inequality C. identity D. none of these |
| 34 | The point (1,3) is one solution of | A. 3x + 5y > 29 B. 3x + 5y < 7 C. x + 2y < 4 D. x + 4y > 3 |
| 35 | The feasible region which can be enclosed within a circle is called | A. Bounded region B. Convex region C. Unbounded region D. None |
| 36 | The corner point of the boundary lines, x- 2x x+2y=10 is: | A. (8,1) B. (1,8) C. (6,10) D. (3,5) |
| 37 | (2, 1) is in the solution of the inequality | A. 2x + y <u>></u> 7 B. x - y > 2 C. 3x + 5y < 6 D. 2x + y < 6 |
| 38 | The total cost of 2 apples and 3 oranges is \$1.70, which of the following is true | A. The cost of one apple B. The cost of one orange C. Both have equal cost per item D. Cost of each single item can not be determined |
| 39 | A point of a solution regions where two of its boundary lines intersect, is called: | A. Vertex of the solution B. Feasible point C. Point of inequality D. Null point of the solution region |
| 40 | The point is in the solution of the inequality $2x - 3y > 5$ | A. (1, -1) B. (2,2) C. (0,0) D. (3,0) |
| 41 | x = -1 is in the solution of the inequality | A. x + 5 < 0 B. 2x + 3 <u><</u> 0 C. x > 0 D. 2x + 3 > 0 |
| 42 | The corner point of the boundary lines, x-2y $2x + y = 2$ is: | A. (2,6) B. (6,2) C. (-2,2) D. (2,-2) |
| 43 | x = 0 is in the solution of the inequality | A. x > 0 B. 3x + 4 < 0 C. x + 3 < 0 D. x - 2 < 0 |
| 44 | An expression involving any of the symbols $<,>,\leq$ or \geq is called | A. equation B. inequality C. linear equation D. identity |
| 45 | For which of the following ordered pairs (s, t) is s + t > 2 and s - t < -3? | A. (3, 2) B. (2, 3) C. (1, 8) D. (0, 3) |
| 46 | There may be feasible solution in the feasible region | A. Infinite B. Finite C. Defined D. None of above |
| 47 | The solution set of the inequality ax + by < c is | A. straight line B. half plane C. parabola D. none of these |
| 48 | (1, 2) is in the solution of the inequality | A. 2x + y > 8 B. 2x + y <u><</u> 6 C. 2x - y > 1 D. 2x + 3y < 2 |
| 49 | The liner equation ax + by = c is called of the inequality ax +by > c. | A. Associated equation B. Non-associated equation C. disjoint equation D. Feasible equation |
| | | A. > or < |

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| 50 | For graphing a linear inequality, solid line is drawn if the inequality involves the symbols: | B. <u>></u> or <u><</u> C. = or≠ D. = or > |
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| 51 | (0,0) is in the solution of the inequality | A. x + y > 3 B. x - y > 2 C. 3x + 2y > 5 D. 3x - 2y < 2 |
| 52 | Order (or sense) of an inequality is changed by multiplying or dividing its each side by a: | A. Zero B. one C. negative constant D. Non negative constant |
| 53 | x is a member of the set [-1, 0, 3, 5] y is a member of the set {-2, 1, 2, 4} which is possible? | A. x - y = -6 B. x - y < -6 C. x - y > -6 D. None |
| 54 | (0,1) is in the solution of the inequality | A. 3x + 2y > 8 B. 2x - 3y < 4 C. 2x + 3y > 5 D. x - 2y < -5 |
| 55 | (1, 1) is the in the solution of the inequality | A. 3x + 4y > 3 B. 2x + 3y < 2 C. 4x = 3y > 5 D. 2c - 3y > 2 |
| 56 | The solution set of x < 4 is | A <span new<br="" style="color: rgb(34, 34, 34); font-family: " times="">Roman"; font-size: 24px; text- align: center; background-color: rgb(255, 255, 248);"><i>>></i> < x < 4 B <span font-<br="" new="" roman";="" style="font-family: " times="">size: 24px; color: rgb(34, 34, 34); text-align: center; background-color: rgb(255, 255, 248);"><i>>></i> > x > 4 C <span font-<br="" new="" roman";="" style="font-family: " times="">size: 24px; color: rgb(34, 34, 34); text-align: center; background-color: rgb(255, 255, 248);"><i>>></i> > x > 4 C <span font-<br="" new="" roman";="" style="font-family: " times="">size: 24px; color: rgb(34, 34, 34); text-align: center; background-color: rgb(255, 255, 248);"><i>>>></i> < x < 2 D <span font-<br="" new="" roman";="" style="font-family: " times="">size: 24px; color: rgb(34, 34, 34); text-align: center; background-color: rgb(255, 255, 248);"><i>>>></i> > x > 2 |
| 57 | 3x + 4 > 0 is | A. equation B. identity C. inequality D. none of these |
| 58 | Each point of the feasible region is called | A. Solution B. feasible solution C. Both a & b D. None |
| 59 | x = is in the solution of $2x - 3 < 0$ | A. 2 B2 C. 3 D. 4 |
| 60 | The real numbers which satisfy an inequality form its | A. solution B. coefficient C. domain D. range |
| 61 | $x = $ is in the solution of $2x + 3 \ge 0$ | A. 1 B2 C3 D4 |
| 62 | The graph of linear equation 2x + 3y = 10 | A. Parabola B. Circle C. Hyperbola D. Straight line |
| 63 | A point (x,y) which satisfy a linear inequality in two variables form its | A. Solution B. Domain C. Range D. None |

| 64 | If $-1 < x < 0$, which of the following statements must be true? | A. x < x ² < x ³ B. x < x ³ < x ² C. x ² klt; x ³ < x D. x ² < x < x ³ |
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| 65 | 3x + 4 < 0 is | A. inequality B. equation C. identity D. not inequality |
| 66 | The points (x, y) which satisfy a linear inequality in two variables x and y from its | A. domain B. range C. solution D. none of these |
| 67 | Sum of two quantities is at least 20 is denoted by | A. $x + y = 20$ B. $x + y \ge 20$ C. $x + y \ne 20$ D. $x + y \le 20$ |
| 68 | The point is in the solution of the inequality $4x - 3y < 2$ | A. (0,1) B. (2,1) C. (2,2) D. (3,3) |
| 69 | Multiplying each side of an inequality by (-1) will: | A. Not effect B. Change the sign C. Become zero D. Not defined |
| 70 | The point is in the solution of the inequality $2x - 3y < 4$ | A. (0, -2) B. (1, -3) C. (2, 2) D. (3, 0) |
| 71 | The maximum value of Z = 3x+ 4y subjected to the constrains x+ y≤ 40,x+ 2y≤ 60, x≥ 0 and y≥ 0 is | A. 120 B. 100 C. 140 D. 160 |
| 72 | A farmer possesses 100 hectometers of land and wants to grow corn and wheat. Cultivations of corn requires 3 hours per hectometer while cultivation of wheat requires 2 hours per hectometer. Working hours cannot exceed 240. If he gets a profit of Rs. 20 per hectometer | A. $P(x, y) = 20x + 15y$ B. $P(x, y) = 2x + 3y$ C. $P(x, y) = x + y$ |
| | for corn and Rs. 15 per hectometer for wheat. The profit function for the farmer is | D. $P(x, y) = 3x + 2y$ |
| 73 | A point where two of its boundary lines intersect is called | A. Corner point B. Feasible point C. Vertex D. Feasible solution |
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